

Evaluating Test Data Generation for Untyped Data Structures Using Genetic Algorithms

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- Spacecraft software assumes critical functions
- Failure may be costly
 - Ariane 5.01: €1 Billion
 - Hitomi: \$286 Million
- Software is thoroughly verified, e.g. by test
- High effort \Rightarrow automation possible?

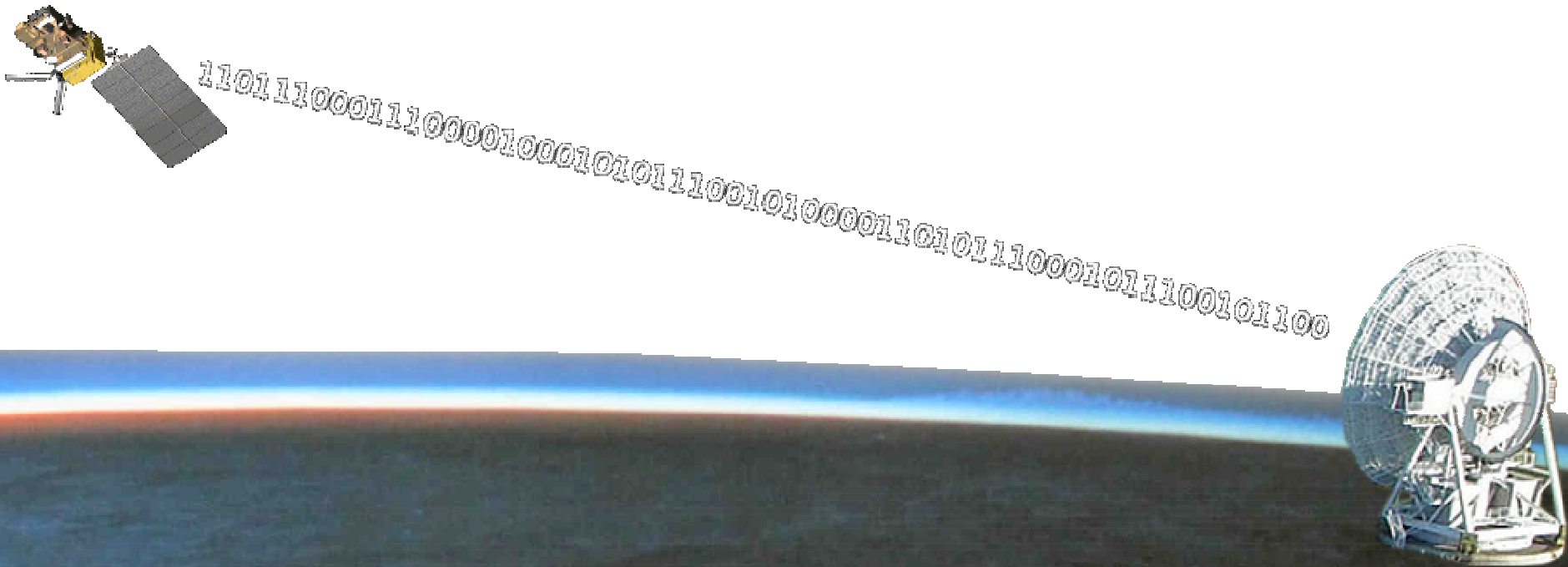


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<https://www.youtube.com/watch?v=Z9EnUQItR9A> (2017-04)



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- Spacecraft processes Telecommands from Ground Station, rejects invalid commands
- Commands arrive as untyped bytestreams
- How to generate test inputs?



- Evolution towards optimization goal
- Sequence of Generations
- Individuals are Byte Sequences
- Fitness determines probability of procreation
- Genetic Operators modify individuals
 - Cross-Over
 - Mutation with probabilistic reversal
- Elite gets into next generation
- Influx due to immigration

Cross-Over and Mutation

Individual A

32776BFCD93



32776

BFCD93



32776

7FF21170



327767FF21170



32F767DF21170

Individual A'



Random Position

Crossover

Mutation

Bitflips

Remove last byte

Bitflips

Append random byte

129377FF21170



12937

7FF21170



12937

BFCD93



12937BFCD93



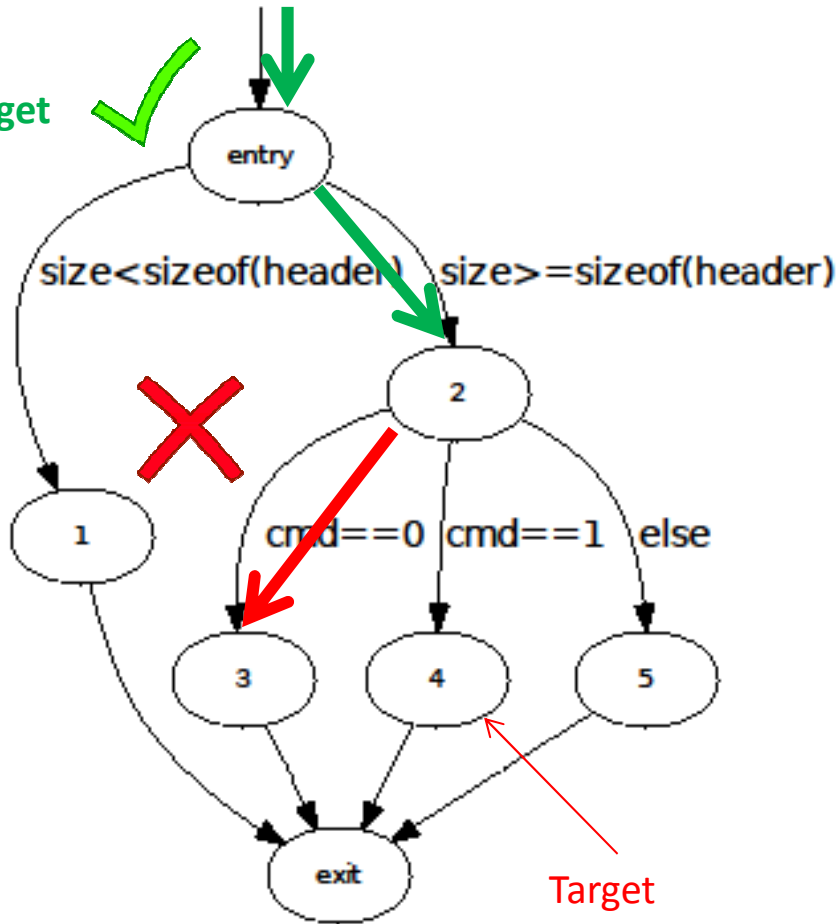
12937EFC9331

Individual B'

Individual B

Cost-Function

Can still reach target
Cost = 0



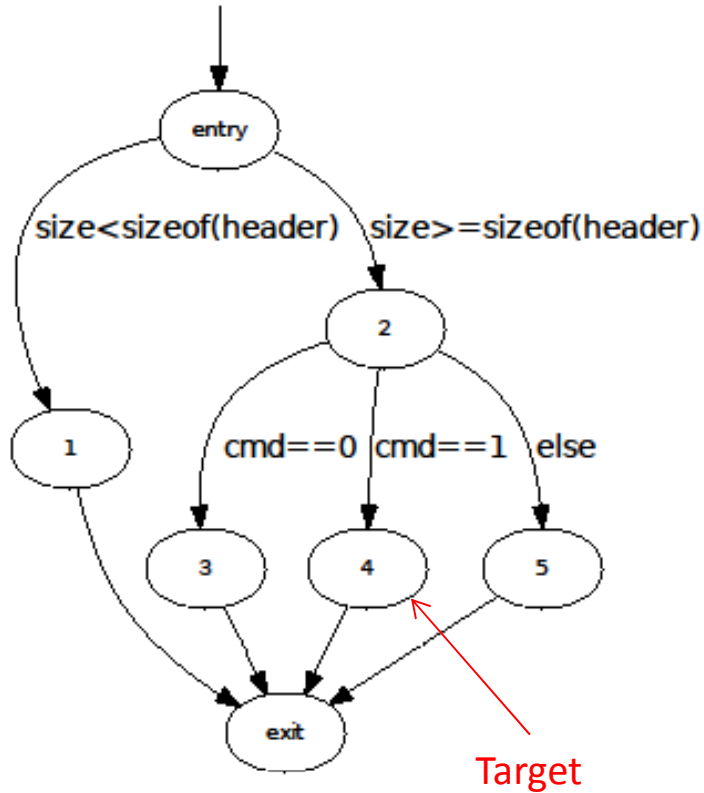
Cannot reach target anymore
Cost > 0

Cost Function describes how far individual is off from reaching target

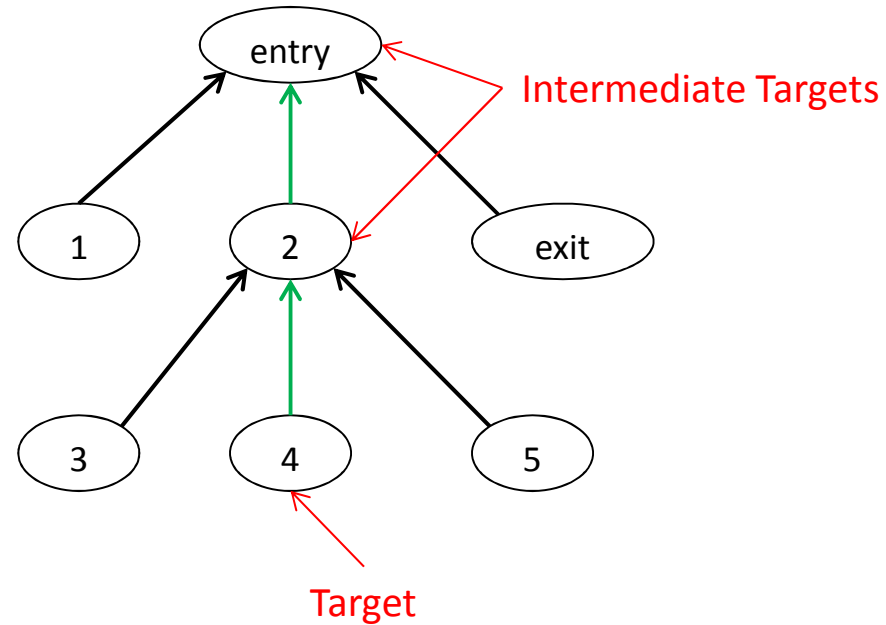
Desired Condition	Cost Function
$E \text{ op } F$ ($\text{op} \in \{=, <, >, \leq, \geq\}$)	$\begin{cases} 0 & \text{if } E \text{ op } F \\ F - E & \text{otherwise} \end{cases}$
$E \neq F$	$\begin{cases} 1 & \text{if } E \text{ op } F \\ 0 & \text{otherwise} \end{cases}$

Sequential Approach: Intermediate Target

Control-Flow-Graph



Dominator Graph



- Single Step Approach: Use final target only
- Sequential Approach: Use intermediate targets

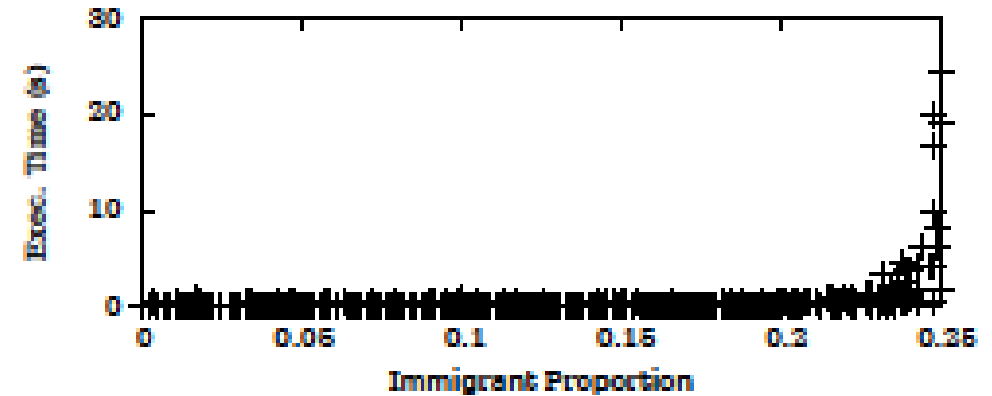
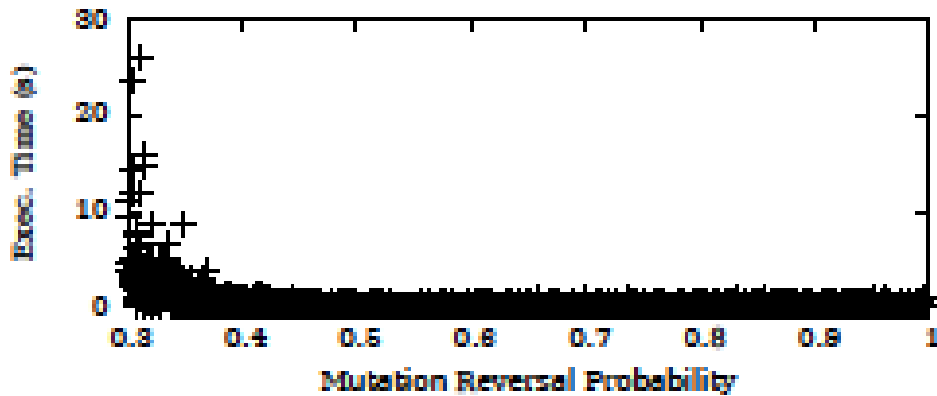
- Analyse Feasibility
- Compare runtime of algorithm variants
- Determine impact of parameters on runtime
 - Population Size
 - Elite Proportion
 - Immigrant Proportion
 - Mutation Probabilities
 - Mutation Reversal Probability
- So far only on simple example

Runtime Measurements: Algorithm Variants

Variant	Min (s)	Mean (s)	Max (s)
Sequential	0.161	2.595	15.931
Single-Step	0.268	15.553	146.180

- Sequential is way faster than Single-Step
 - Mean runtime: Factor 6
 - Maximum runtime: Factor 9

Runtime Measurements: Parameters (1/2)



- Mutation Reversal has positive effect on runtime
- Does not seem to extend past $p \gtrsim 0.4$

- Immigrant Proportion has no noticeable effect for $p \lesssim 0.2$
- Negative effect for $p \gtrsim 0.2$

Runtime Measurements: Parameters (2/2)

Byte Extension Probability	0.00	0.25	0.50	0.75	1.00
Mean Execution Time (s)	0.46	0.13	0.12	0.12	0.13

- Optimum Value in the range $0.5 \lesssim p \lesssim 0.75$
- Decrease of Factor 3 from $p=0$ to $p=0.25$
- No further noticeable change for $p \rightarrow 1$

Conclusions so far

- Sequential Approach is superior
- Significant positive impact of mutation reversal
- No positive effect from immigration, negative effect for more than 20% of population
- This genetic algorithm seems promising for generating telecommand test data

- Integration with random test tool (DCRITT) is underway...
- Application to industry-grade code
- Comparison to random testing performance
- More detailed analysis of parameter impacts
 - Multivariate
 - Measurements on more realistic code

Thank you for your attention!

Important Question:

Is there a general „good enough“ set of parameters for all applications?